

*2012 American Geophysical Union
Fall Meeting:*

**High resolution three-dimensional modeling with
an adaptive grid regional-scale air quality model**

Fernando Garcia-Menendez, Yongtao Hu and M. Talat Odman

*Georgia Institute of Technology,
School of Civil and Environmental Engineering*

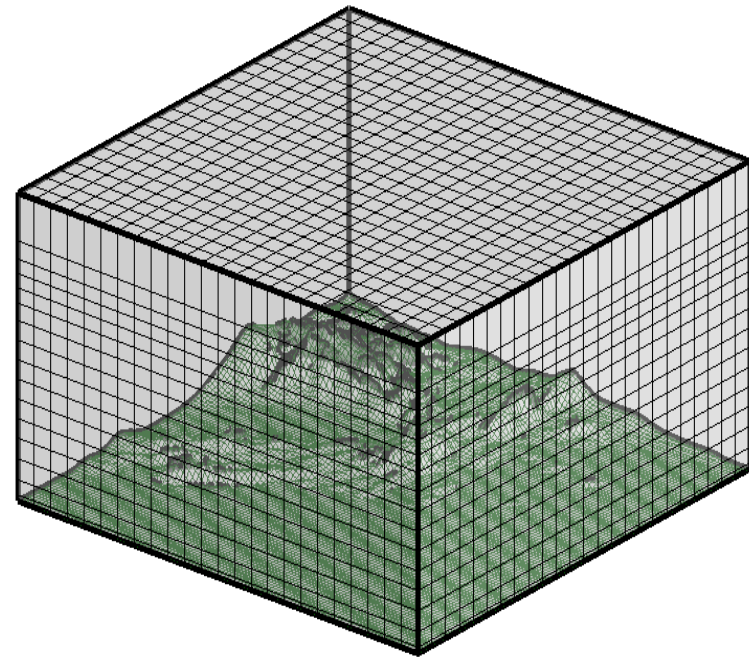
Modeling Pollution Plumes with Eulerian Air Quality Models

Advantages:

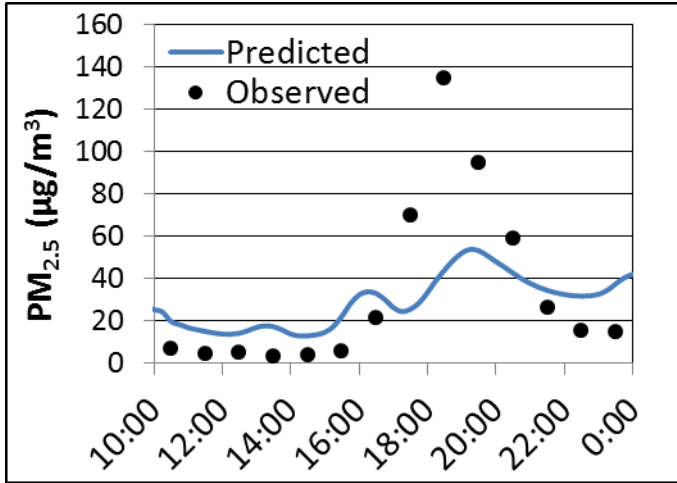
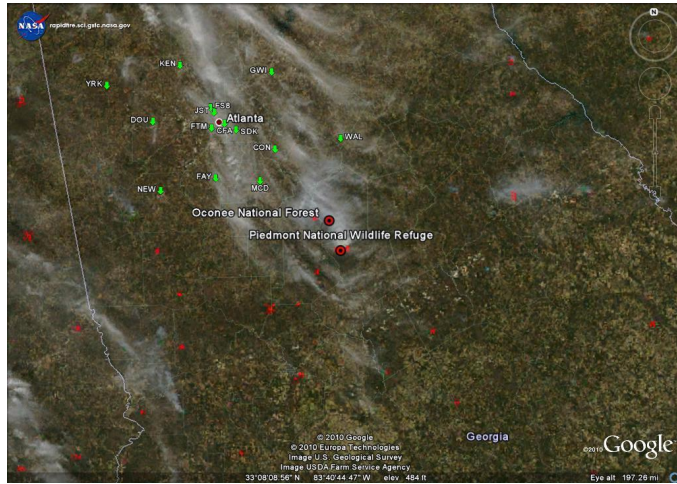
- State-of-the-science representations of complex physical and chemical processes
- Comprehensive emissions inventories
- Detailed 3-dimensional meteorological fields

Multiscale capabilities :

- Initial transformations and dispersion
→ local scales
- Long-range transport and air quality impact
→ regional and global scales



Modeling Pollution Plumes with Eulerian Air Quality Models



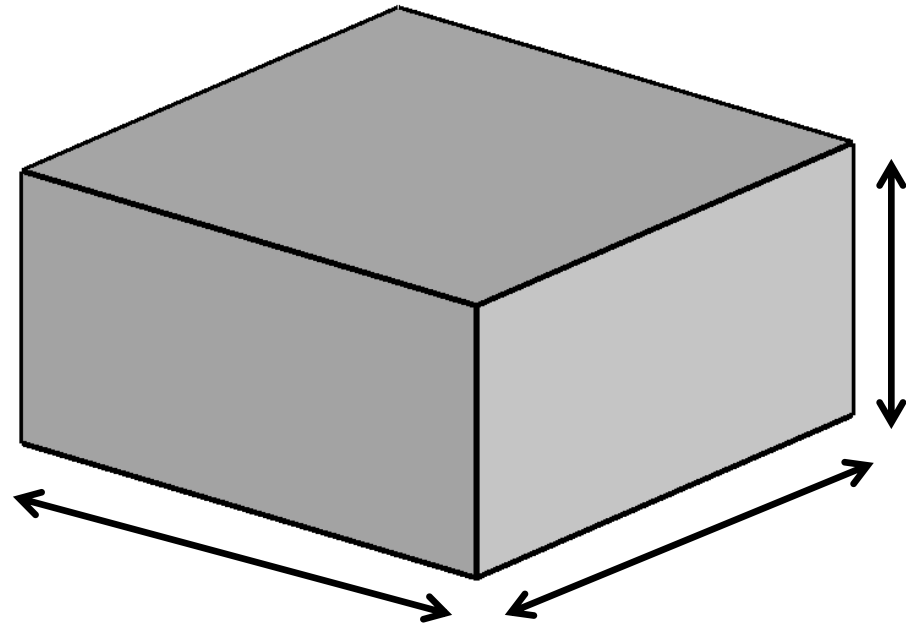
Limitations:

- Immediate dilution of emissions
- Numerical diffusion
- Errors in non-linear transformations
- Parameterization or omission of subgrid scale processes

Observations from Plume Simulations:

- Regional-scale models can be ineffective as a prediction tool for pollutant plumes
- Severely underpredicted AQ impacts
- Significant sensitivity of modeled concentrations to grid resolution

OBJECTIVE: *Develop a three-dimensional modeling technique that will allow simulations of atmospheric plumes with unprecedented resolution using gridded air quality models*



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Computational Demand:

2x horizontal resolution:

$4x N \rightarrow 4-16x$ operations

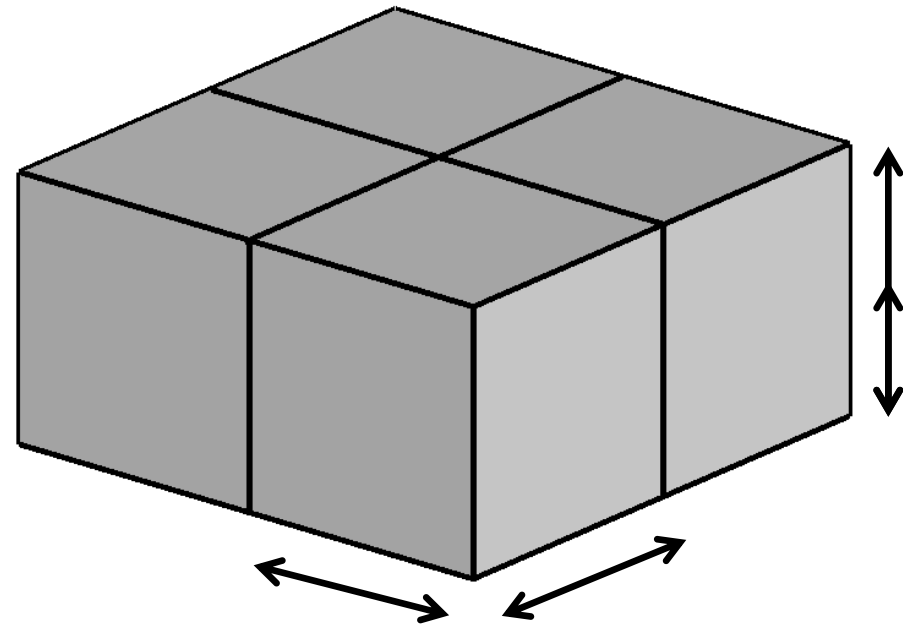
2x horizontal & vertical resolutions:

$8x N \rightarrow 8-64x$ operations

Stability considerations:

$\Delta t = \Delta x / u$ $\Delta x \downarrow \rightarrow \Delta t \downarrow$

2x resolution $\rightarrow$ 2x operations



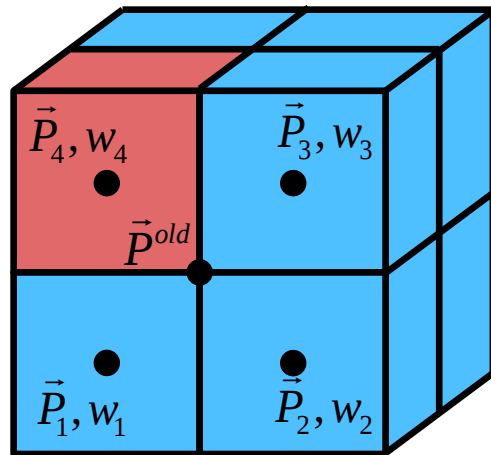
Adaptive Grid Algorithm

1. Assign a weight to each cell:

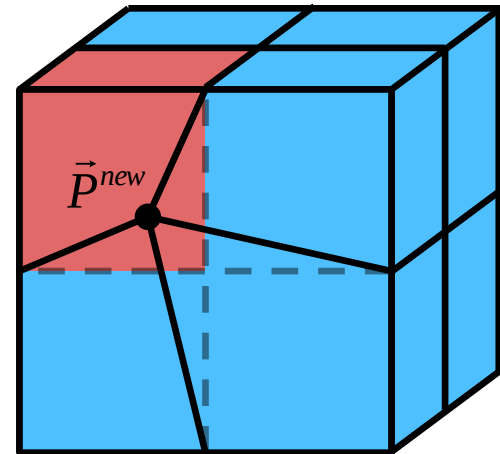
$$w = \sum_n \alpha_n \nabla^2 c_n$$

2. Use cell weights to estimate new node positions:

$$\vec{P}_i^{new} = \frac{\sum_{k=1}^8 w_k \vec{P}_k}{\sum_{k=1}^8 w_k}$$

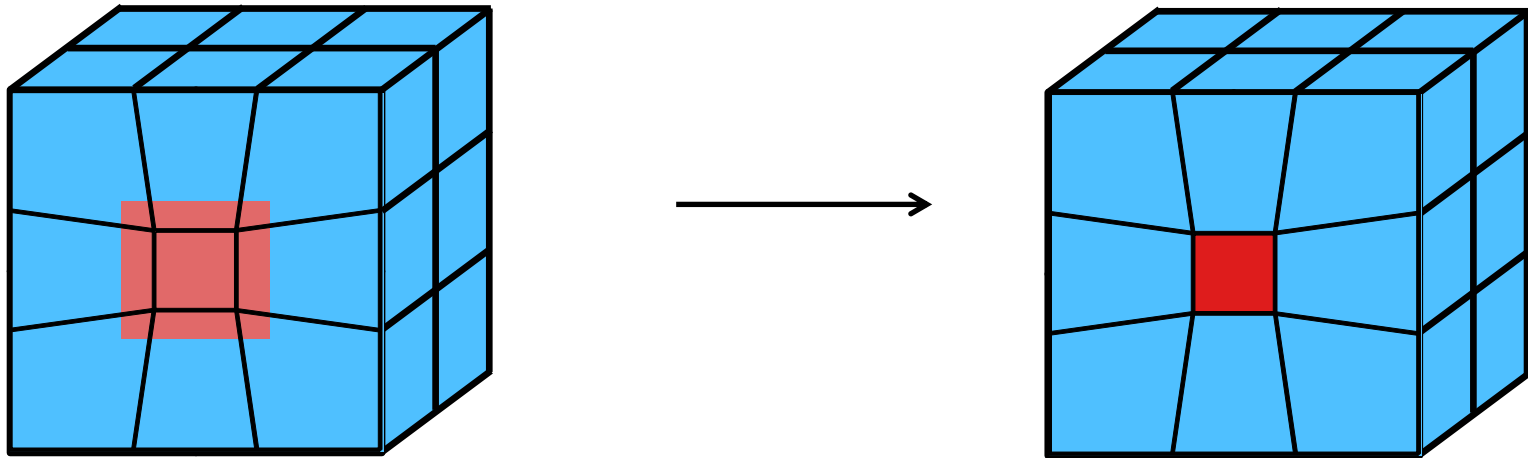


$$w_4 > w_1 = w_2 = w_3$$



Adaptive Grid Algorithm

3. Redistribute concentration fields:



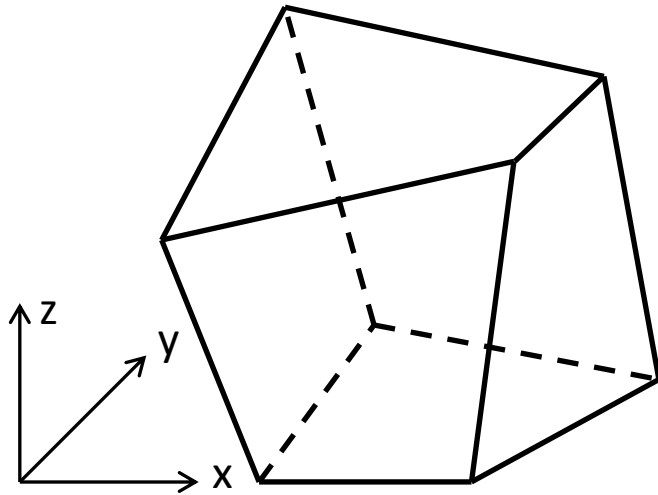
4. Check convergence criteria:

→ node movement < 5% internodal distance



Coordinate Transformation

Physical Domain



$$\xi = \xi(x, y, z, t)$$

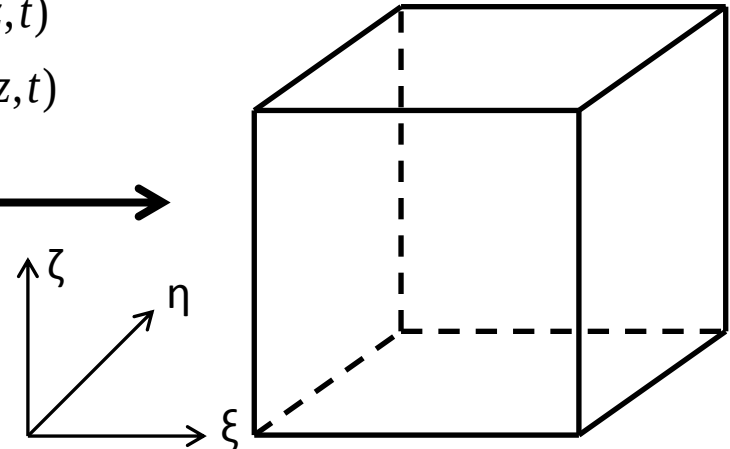
$$\eta = \eta(x, y, z, t)$$

$$\zeta = \zeta(x, y, z, t)$$

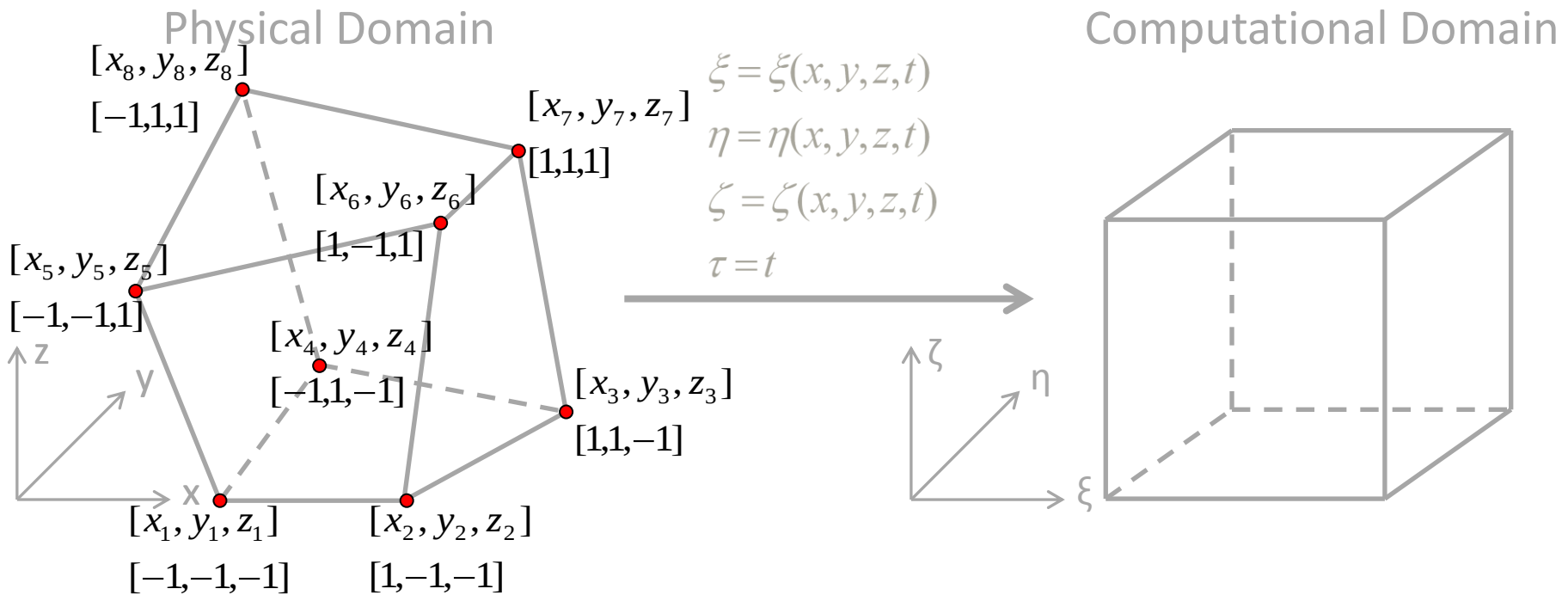
$$\tau = t$$



Computational Domain



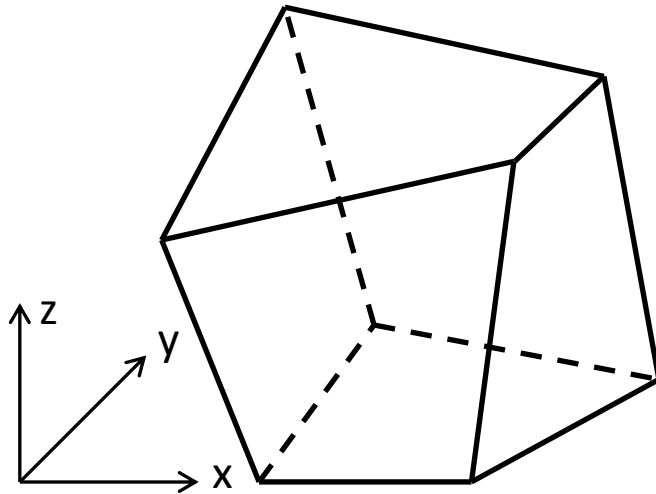
Coordinate Transformation



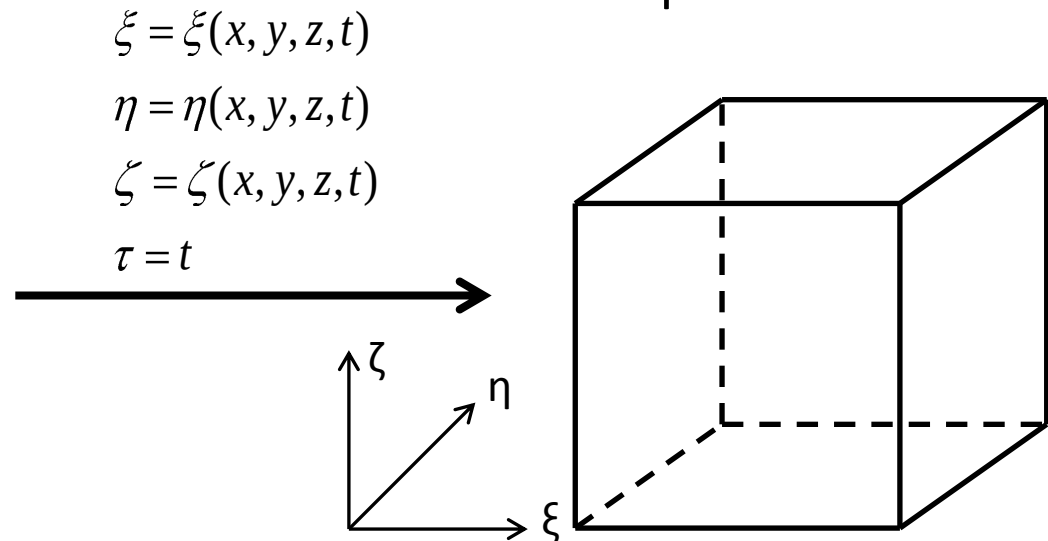
$$(x, y, z) \leftrightarrow (\xi, \eta, \zeta)$$

Coordinate Transformation

Physical Domain



Computational Domain



$$\xi = \xi(x, y, z, t)$$

$$\eta = \eta(x, y, z, t)$$

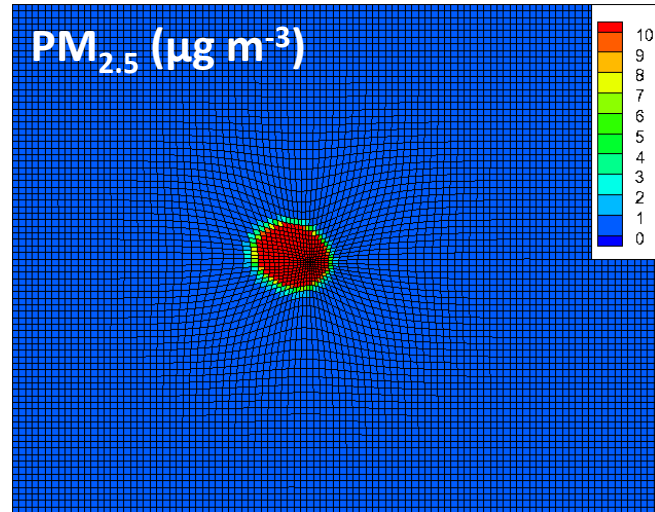
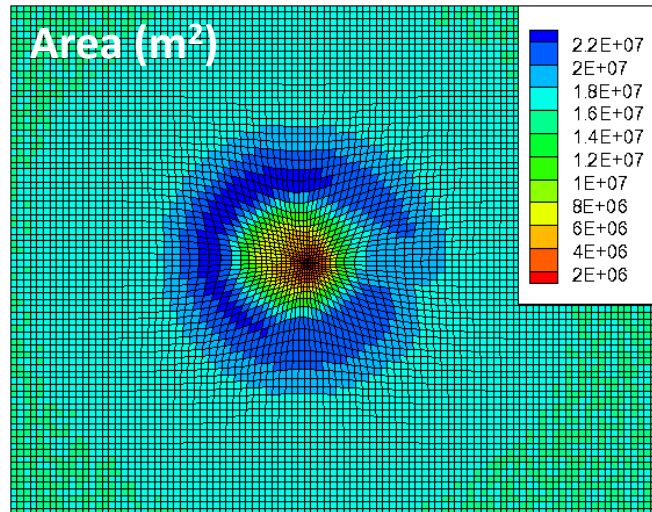
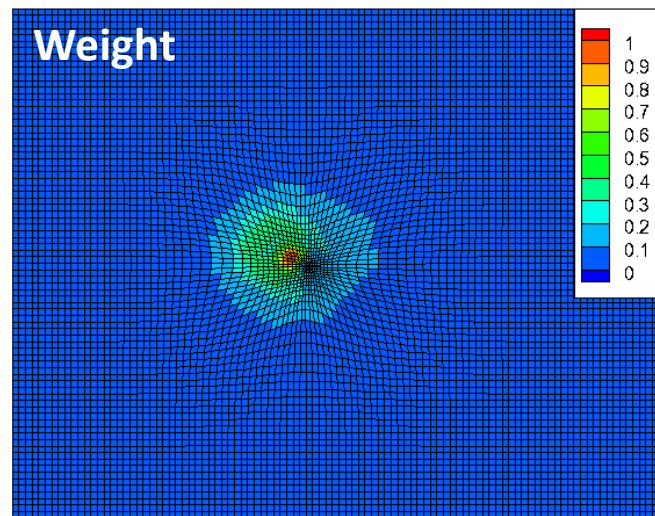
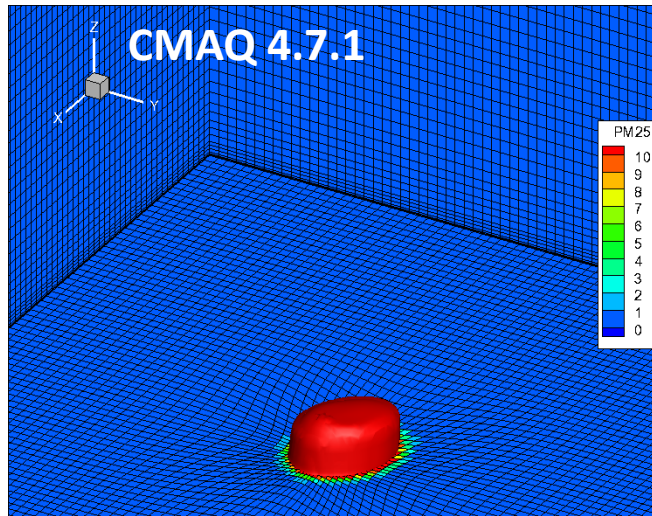
$$\zeta = \zeta(x, y, z, t)$$

$$\tau = t$$

$$\begin{aligned} & \frac{\partial C}{\partial t} + \frac{\partial(uC)}{\partial x} + \frac{\partial(vC)}{\partial y} + \frac{\partial(wC)}{\partial z} \\ & + \frac{\partial}{\partial x} \left(K^{xx} \frac{\partial C}{\partial x} \right) + \frac{\partial}{\partial y} \left(K^{yy} \frac{\partial C}{\partial y} \right) + \frac{\partial}{\partial z} \left(K^{zz} \frac{\partial C}{\partial z} \right) = R + S \end{aligned}$$

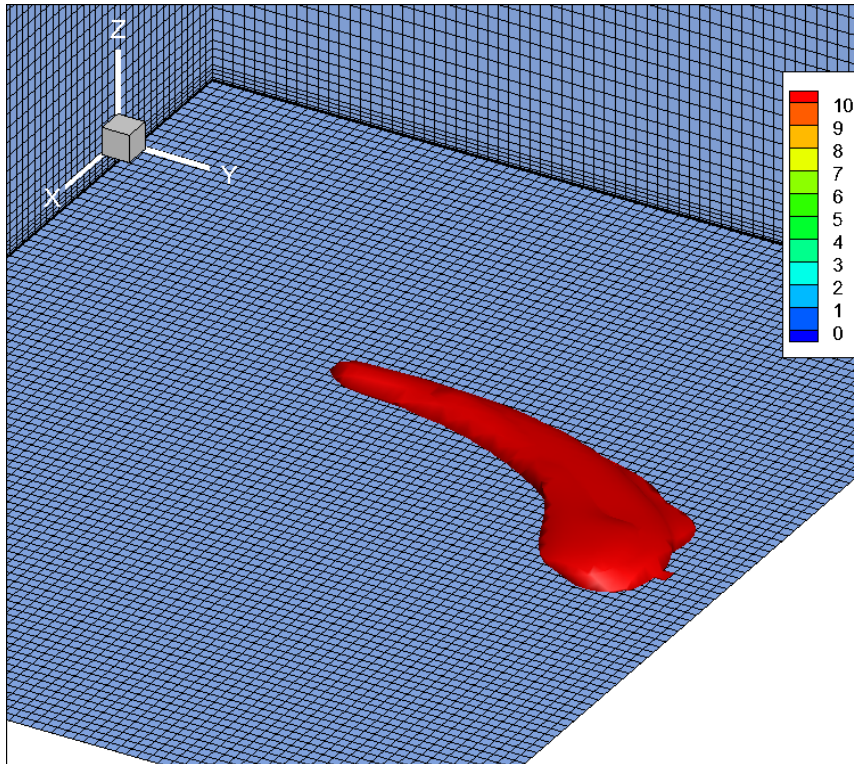
$$\begin{aligned} & \frac{\partial(J^{-1}C)}{\partial \tau} + \frac{\partial(J^{-1}C)}{\partial \xi} \frac{\partial \xi}{\partial t} + \frac{\partial(J^{-1}C)}{\partial \eta} \frac{\partial \eta}{\partial t} + \frac{\partial(J^{-1}C)}{\partial \zeta} \frac{\partial \zeta}{\partial t} + \frac{\partial(J^{-1}v^\xi C)}{\partial \xi} + \frac{\partial(J^{-1}v^\eta C)}{\partial \eta} + \frac{\partial(J^{-1}v^\zeta C)}{\partial \zeta} \\ & + \frac{\partial}{\partial \xi} \left(J^{-1}K^{\xi\xi} \frac{\partial C}{\partial \xi} \right) + \frac{\partial}{\partial \eta} \left(J^{-1}K^{\eta\eta} \frac{\partial C}{\partial \eta} \right) + \frac{\partial}{\partial \zeta} \left(J^{-1}K^{\zeta\zeta} \frac{\partial C}{\partial \zeta} \right) = J^{-1}R + J^{-1}S \end{aligned}$$

2-D Implementation in CMAQ

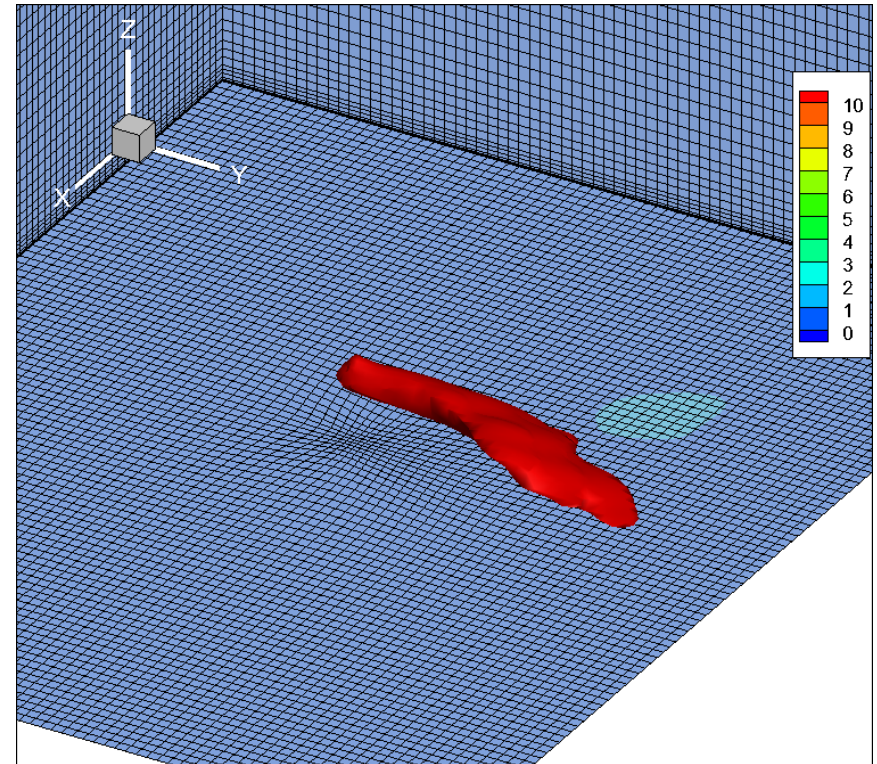


Adaptive Grid Tests in CMAQ

Fixed Grid

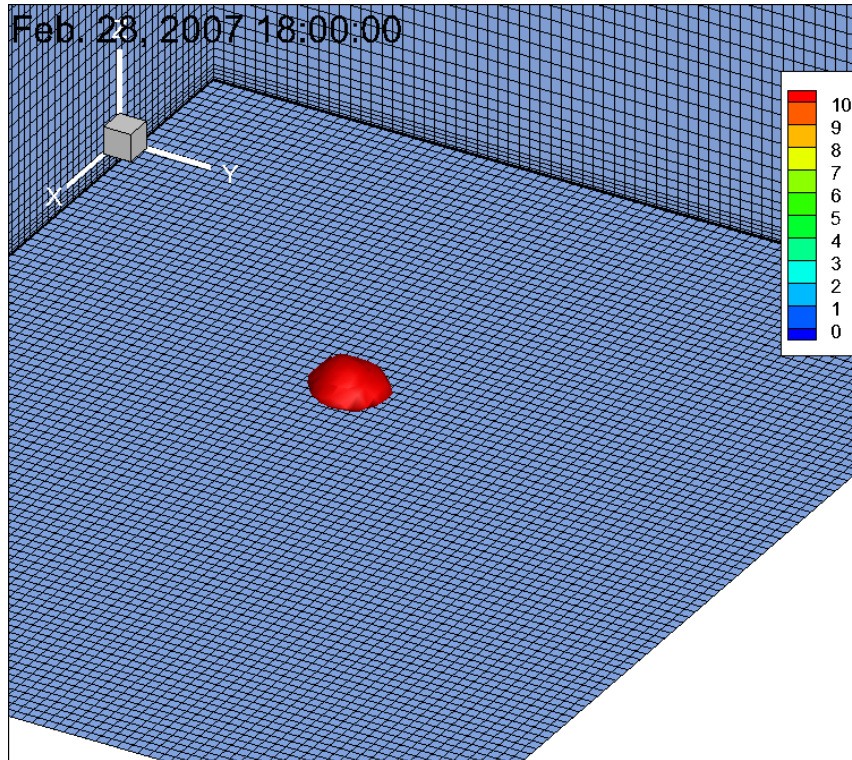


Adaptive Grid

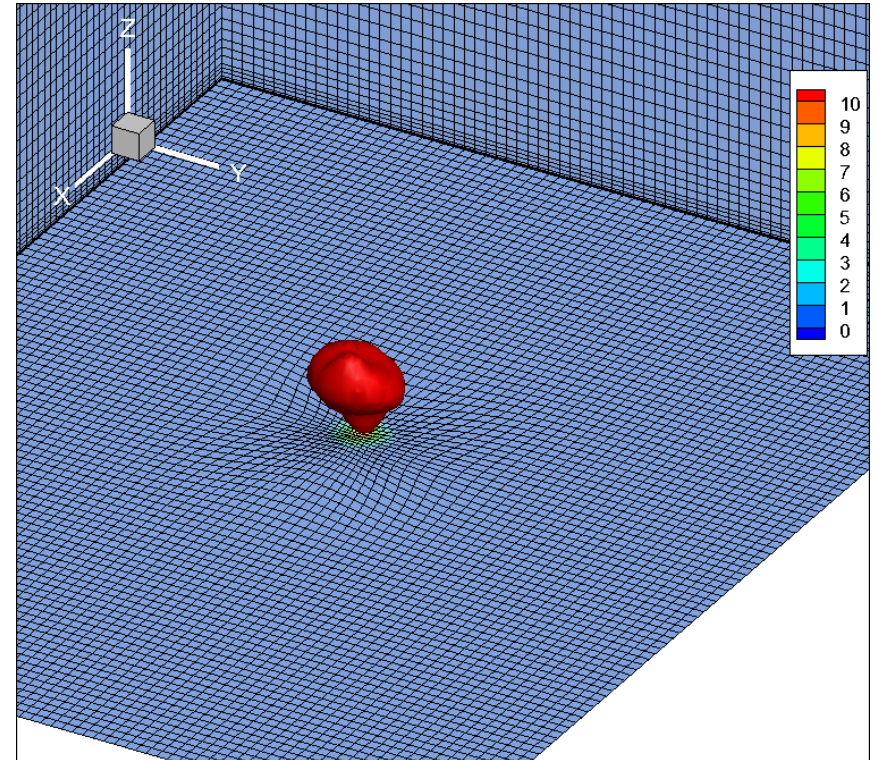


Adaptive Grid Tests in CMAQ

Fixed Grid

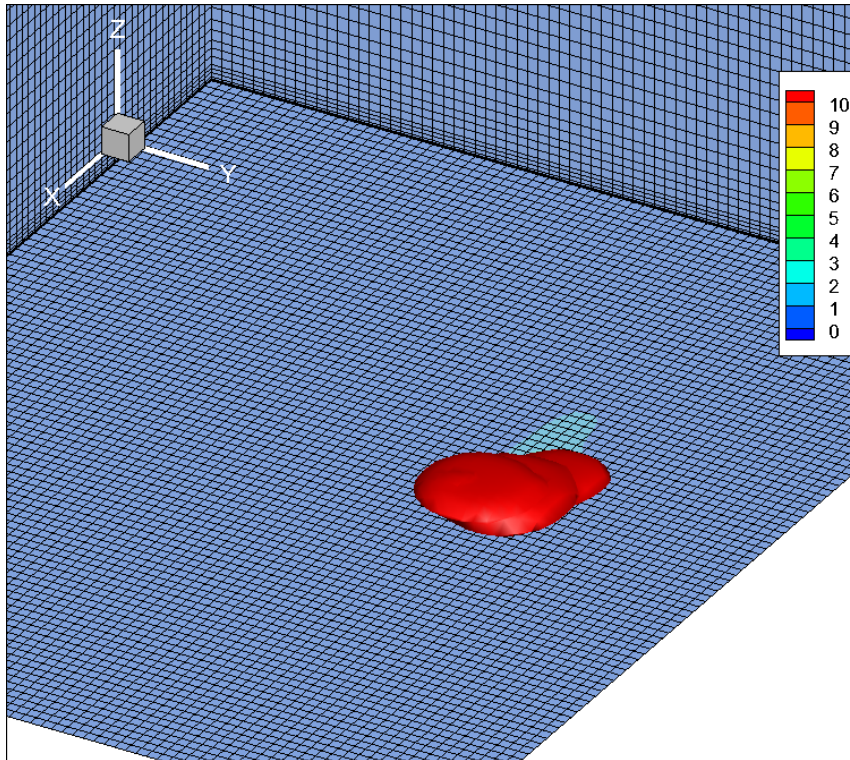


Adaptive Grid

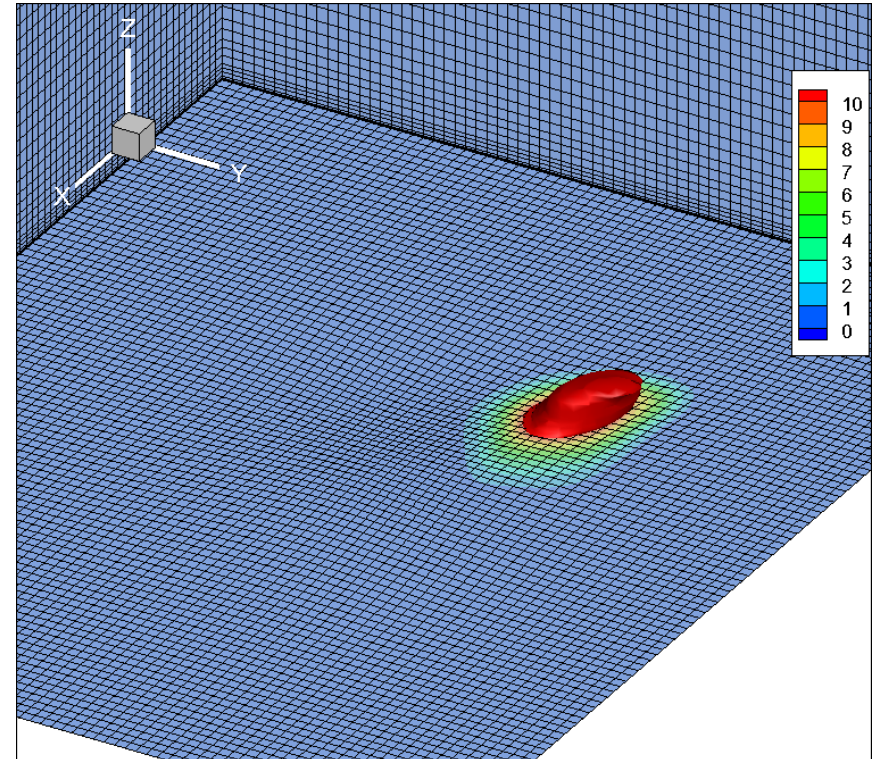


Adaptive Grid Tests in CMAQ

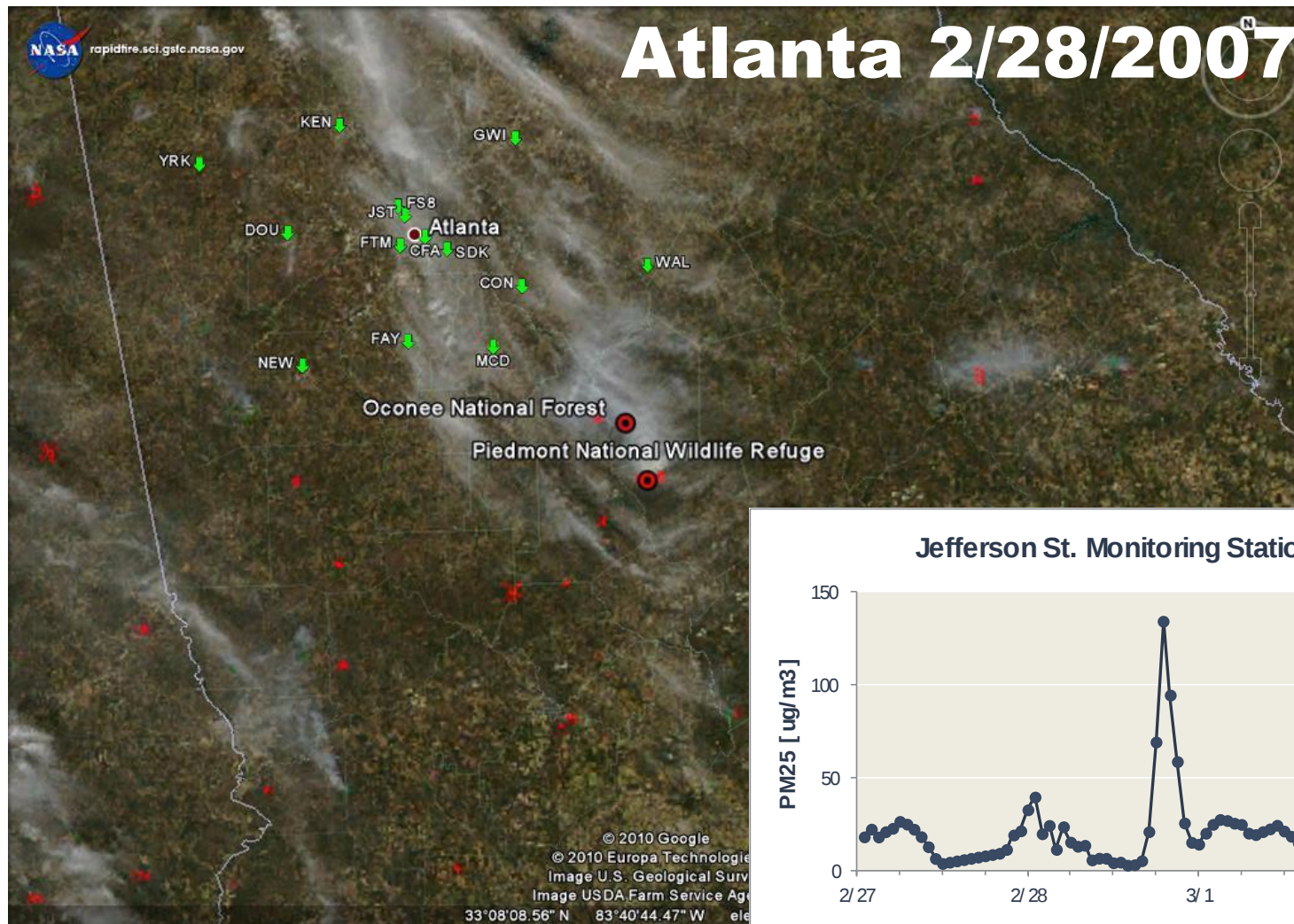
Fixed Grid



Adaptive Grid

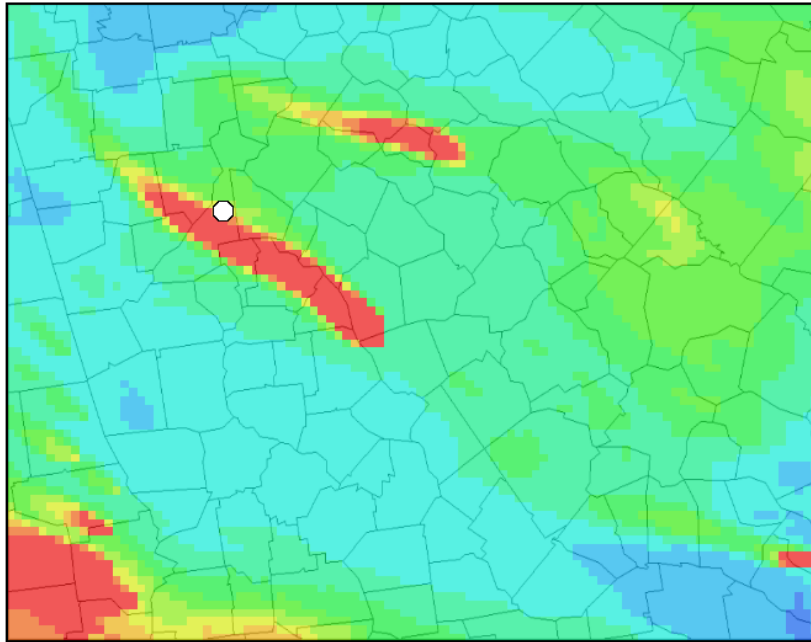


Adaptive Grid Evaluation in CMAQ

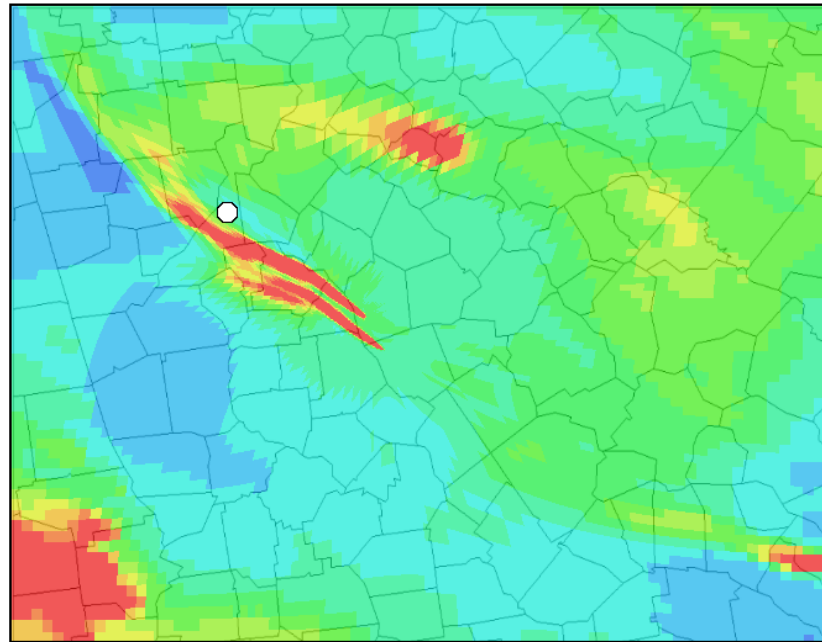


Adaptive Grid Evaluation in CMAQ

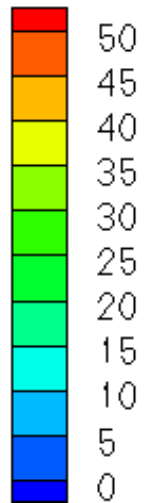
Fixed Grid (4km)



Adaptive Grid

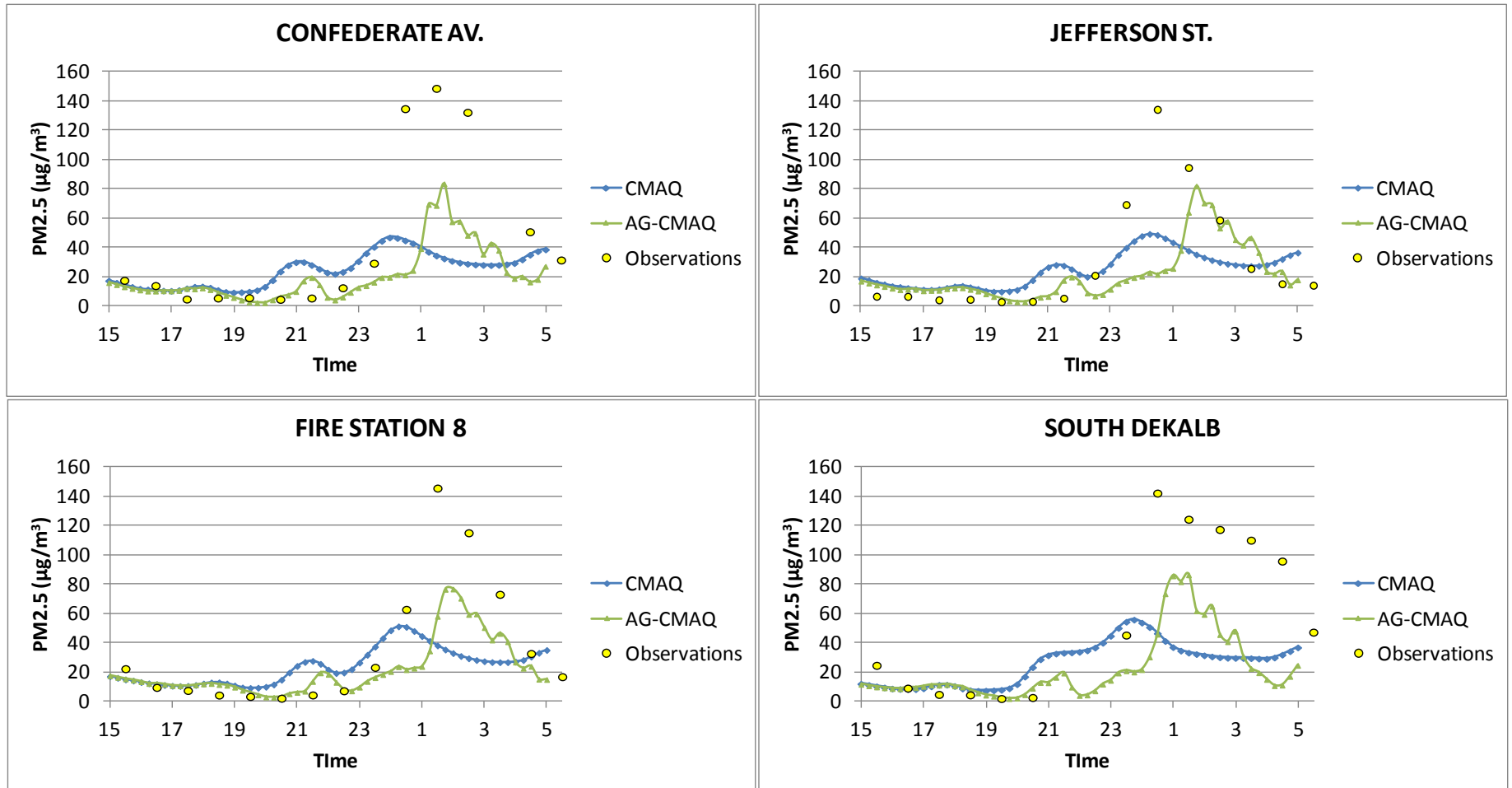


PM_{2.5}
($\mu\text{g m}^{-3}$)

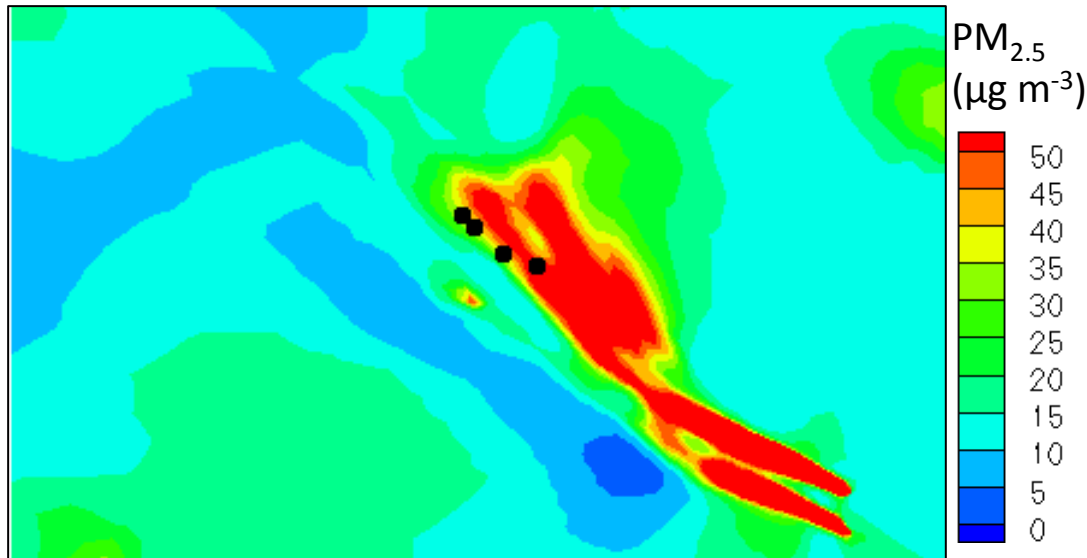


- CMAQ-SMOKE-WRF modeling system
- BlueSky modeling framework
- Fire Emissions Production Simulator

Adaptive Grid Evaluation in CMAQ



Adaptive Grid CMAQ Evaluation



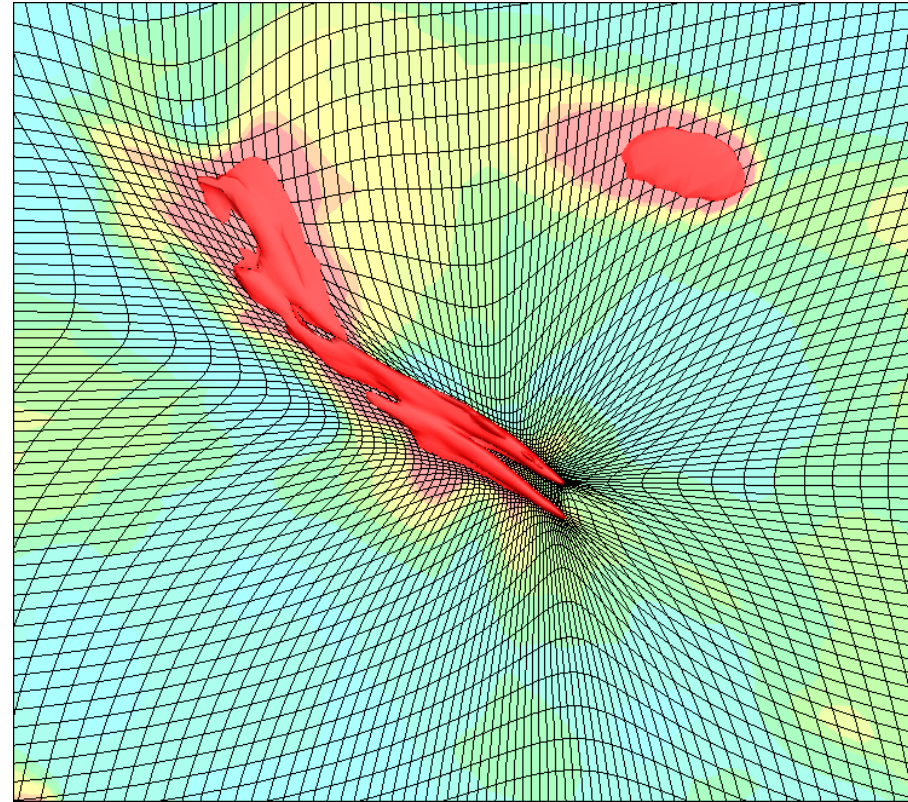
Monitoring
Site:

Jeff St.
Conf. Av.
S. DeKalb
Fire St. 8

Mean Fractional Error		Peak PM _{2.5} ($\mu\text{g m}^{-3}$)		
<i>Fixed Grid</i>	<i>Adaptive Grid</i>	<i>Observed</i>	<i>Fixed Grid</i>	<i>Adaptive Grid</i>
78%	58%	134	49	82
66%	58%	148	47	84
86%	79%	142	56	87
72%	65%	146	51	77

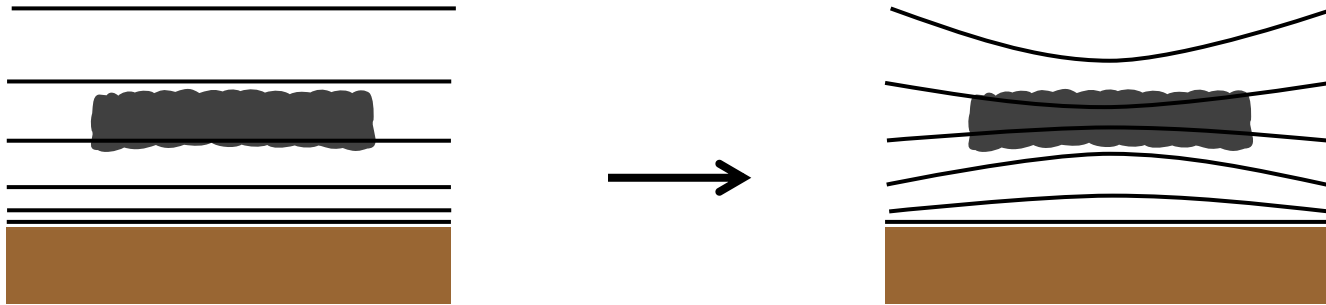
Observations from Adaptive Grid Evaluations

- Artificial diffusion is reduced.
- Predictions frequently better agree with monitoring site observations.
- Underprediction of air quality impacts is improved (but still significant).
- Adaptive grid simulations 35% slower than fixed grid.

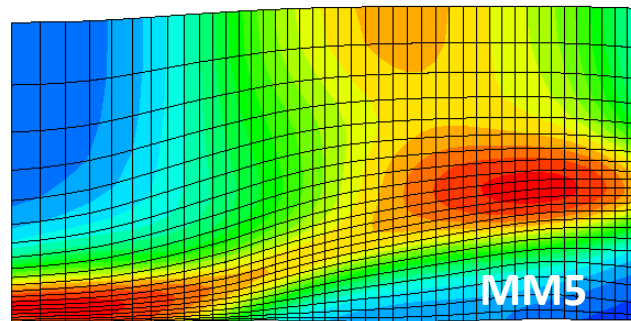


Future Work

- Implement adaptive grid algorithm into CMAQ 5.0
- Complete extension of adaptive grid into vertical grid structure



- Explore adaptive grid meteorological modeling driven by CMAQ-derived concentrations



THANK YOU!

Strategic Environmental Research and Development Program



Joint Fire Science Program



**Georgia Department of Natural Resources,
Environmental Protection Division**



US Forest Service, Southern Research Station

